## Learn and Remember

1. Perimeter is the distance around a closed figure. It is measured in unit.
2. Area is the part of plane occupied by the closed figure and it is measured in square unit.
Standard unit of area and their relations:

$$
1 \mathrm{~cm}^{2}=100 \mathrm{~mm}^{2}
$$

$$
1 \mathrm{~m}^{2}=10000 \mathrm{~cm}^{2}
$$

1 hactare $=10000 \mathrm{~m}^{2}$
3. Square:

1. Perimeter of a square $=4 \times$ side
2. Area of square $=$ side $\times$ side

Rectangle:

1. Perimeter of a rectangle

$$
=2 \text { (length }+ \text { breadth })
$$

2. Area of a rectangle

$$
=\text { length } \times \text { breadth } .
$$


4. Area of parallelogram
$=$ base $\times$ height .
5. Area of triangle

$$
=\frac{1}{2} \times \text { base } \times \text { height. }
$$


6. The distance around a circular region is known as its circumference.

1. Circumference of circle $=\pi d$, where $d$ is the diameter of a circle and


$$
\pi=\frac{22}{7} \text { or } 3.14 \text { (approx.) }
$$

2. Area of circle $=\pi r^{2}$, where $r$ is the radius of the circle.
3. Area of a rectangular path inside (or outside) a rectangular field = Area of the outer rectangle - area of the inner rectangle.
4. Area of cross paths =Area of all rectangles making paths - area of the common rectangle.


## TEXTBOOK QUESTIONS SOLVED

## Exercise 11.1 (Page No. 208)

Q1. The length and the breadth of a rectangular piece of land are 500 m and 300 m respectively. Find
(i) its area.
(ii) the cost of the land, if $1 \mathrm{~m}^{2}$ of the land costs $₹ 10,000$.

Sol. Given, the length of a rectangular piece of land $=500 \mathrm{~m}$ and the breadth of a rectangular piece of land $=300 \mathrm{~m}$
(i) Area of a rectangular piece of land $=$ length $\times$ breadth

$$
=500 \mathrm{~m} \times 300 \mathrm{~m}=1,50,000 \mathrm{~m}^{2}
$$

(ii) Given, the cost of $1 \mathrm{~m}^{2}$ land $=₹ 10,000$

Then, the cost of $1,50,000 \mathrm{~m}^{2}$ land $=₹(10,000 \times 1,50,000)$

$$
=₹ 1,50,00,00,000 \text {. }
$$

Q2. Find the area of a square park whose perimeter is 320 m .
Sol. Given, the perimeter of a square park $=320 \mathrm{~m}$.
Let the side of the square park be $x \mathrm{~m}$.
Perimeter of square park $=4 \times$ side
Now,

$$
320=4 x
$$

$\Rightarrow \quad x=\frac{320}{4}$
or $\quad x=80 \mathrm{~m}$
Therefore, the side of the square park is 80 m .
Now, we know
Area of a square park $=$ side $\times$ side

$$
\begin{aligned}
& =80 \times 80 \\
& =6,400 \mathrm{~m}^{2}
\end{aligned}
$$

Thus, the area of the square park is $6,400 \mathrm{~m}^{2}$.

Q3. Find the breadth of a rectangular plot of land, if its area is $440 \mathrm{~m}^{2}$ and the length is 22 m . Also find its perimeter.
Sol. Let the breadth of the rectangular plot be $b \mathrm{~m}$.
Given, area of a rectangular plot $=440 \mathrm{~m}^{2}$
and length of a rectangular plot $=22 \mathrm{~m}$
We know, area of the rectangular plot $=$ length $\times$ breadth
Now,

$$
\begin{aligned}
440 & =22 \times b \\
b & =\frac{440}{22} \\
b & =20 \mathrm{~m}
\end{aligned}
$$

or
Therefore, the breadth of the rectangular plot is 20 m .
Now, perimeter of the rectangular plot $=2$ (length + breadth )

$$
\begin{aligned}
& =2(22+20) \\
& =2 \times 42=84 \mathrm{~m} .
\end{aligned}
$$

Thus, the perimeter of the rectangular plot is 84 m .
Q4. The perimeter of a rectangular sheet is 100 cm . If the length is 35 cm , find its breadth. Also find the area.
Sol. Let the breadth of the rectangular sheet be $b \mathrm{~cm}$.
Given, the perimeter of a rectangular sheet $=100 \mathrm{~cm}$
and the length of a rectangular sheet $=35 \mathrm{~cm}$
We know, the perimeter of the rectanglular sheet

|  | $=2$ (length + breadth) |  |
| :--- | ---: | :--- |
| Now, | 100 | $=2(35+b)$ |
| $\Rightarrow$ | 50 | $=35+b \quad$ (Dividing by 2 ) |
| $\Rightarrow$ | $35+b$ | $=50$ |
| or | $b$ | $=50-35=15 \mathrm{~cm}$ |
| And area of a rectangular sheet | $=$ length $\times$ breadth |  |
|  | $=35 \times 15$ |  |
|  |  | $=525 \mathrm{~cm}^{2}$ |

Thus, breadth and area of the rectangular sheet are 15 cm and $525 \mathrm{~cm}^{2}$ respectively.
Q5. The area of a square park is the same as of a rectangular park. If the side of the square park is 60 m and the length of the rectangular park is 90 m , find the breadth of the rectangular park.
Sol. Given, the side of the square park $=60 \mathrm{~m}$ and the length of the rectangular park $=90 \mathrm{~m}$

According to given condition,
Area of the square park=Area of the rectangular park

| Now, | side $\times$ side | $=$ length $\times$ breadth |
| ---: | :--- | ---: | :--- |
| $\Rightarrow$ | $60 \times 60$ | $=90 \times b$ |
| $\Rightarrow$ | $b$ | $=\frac{60 \times 60}{90}=20 \times 2=40 \mathrm{~m}$ |

Thus, the breadth of the rectangular park is 40 m .
Q6. A wire is in the shape of a rectangle. Its length is 40 cm and breadth is 22 cm . If the same wire is rebent in the shape of a square, what will be the measure of each side. Also, find which shape encloses more area?
Sol. Given, length of the rectangle $=40 \mathrm{~cm}$
and breadth of the rectangle $=22 \mathrm{~cm}$
Also given, perimeter of the square $=$ perimeter of the rectangle

$$
\Rightarrow \quad 4 \times \text { side }=2 \text { (length }+ \text { breadth })
$$

$\Rightarrow \quad 4 \times$ side $=2(40+22)$
$\Rightarrow \quad 4 \times$ side $=2 \times 62$
$\Rightarrow \quad$ side $=\frac{2 \times 62}{4}$
or
side $=31 \mathrm{~cm}$
Thus, the side of the square is 31 cm .
Now comparing their areas,
Area of the rectangle $=$ length $\times$ breadth

$$
\begin{align*}
& =40 \times 22 \\
& =880 \mathrm{~cm}^{2} \tag{i}
\end{align*}
$$

Area of the square $=$ side $\times$ side

$$
\begin{align*}
& =31 \times 31 \\
& =961 \mathrm{~cm}^{2} \tag{ii}
\end{align*}
$$

Now comparing equations $(i)$ and (ii),
Thus, area of the square is greater than area of given rectangle.
Q7. The perimeter of a rectangle is 130 cm . If the breadth of the rectangle is 30 cm , find its length. Also, find the area of the rectangle.
Sol. Let the length of the rectangle be $l \mathrm{~cm}$.
Given, the perimeter of the rectangle $=130 \mathrm{~cm}$ and breadth of the rectangle $=30 \mathrm{~cm}$

Now, perimeter of the rectangle $=2$ (length + breadth $)$

$$
\begin{aligned}
\Rightarrow & 130 & =2(l+30) \\
\Rightarrow & l+30 & =\frac{130}{2} \\
\Rightarrow & l+30 & =65 \\
\text { or } & l & =65-30=35 \mathrm{~cm}
\end{aligned}
$$

Therefore, the length of the rectangle is 35 cm .
The area of the rectangle $=$ length $\times$ breadth

$$
\begin{aligned}
& =35 \times 30 \\
& =1,050 \mathrm{~cm}^{2}
\end{aligned}
$$

Thus, the area of the rectangle is $1,050 \mathrm{~cm}^{2}$.
Q8. A door of length 2 m and breadth 1 m is fitted in a wall. The length of the wall is 4.5 m and the breadth is 3.6 m . Find the cost of white washing the wall, if the
 rate of white washing the wall is ₹ 20 per $\mathrm{m}^{2}$.
Sol. White washing of the wall has to be white washed excluding the area of door.
Area of rectangular door $=$ length $\times$ breadth

$$
=2 \mathrm{~m} \times 1 \mathrm{~m}=2 \mathrm{~m}^{2}
$$

Area of wall including door $=$ length $\times$ breadth

$$
\begin{aligned}
& =4.5 \mathrm{~m} \times 3.6 \mathrm{~m} \\
& =16.2 \mathrm{~m}^{2}
\end{aligned}
$$

Area of wall excluding door
=Area of wall including door - area of rectangular door
$=(16.2-2) \mathrm{m}^{2}$
$=14.2 \mathrm{~m}^{2}$.
Given,
The rate of white washing of $1 \mathrm{~m}^{2}$ the wall $=₹ 20$
The rate of white washing $14.2 \mathrm{~m}^{2}$ the wall $=20 \times 14.2$

$$
=₹ 284
$$

Thus, the cost of white washing the wall excluding door is ₹ 284 .

Exercise 11.2 (Page No. 216-217)
Q1. Find the area of each of the following parallelograms:

(a)

(b)
(c)

(d)

(e)

Sol. We know, the area of the parallelogram $=$ base $\times$ height
From Fig. $(a), \quad$ base $=7 \mathrm{~cm}$, height $=4 \mathrm{~cm}$ Area of Fig. $(a)=7 \times 4=28 \mathrm{~cm}^{2}$
From Fig. (b), base $=5 \mathrm{~cm}$, height $=3 \mathrm{~cm}$ Area of Fig. $(b)=5 \times 3=15 \mathrm{~cm}^{2}$
From Fig. $(c), \quad$ base $=2.5 \mathrm{~cm}$, height $=3.5 \mathrm{~cm}$ Area of Fig. $(c)=2.5 \times 3.5=8.75 \mathrm{~cm}^{2}$
From Fig. (d), base $=5 \mathrm{~cm}$, height $=4.8 \mathrm{~cm}$ Area of Fig. $(d)=5 \times 4.8=24 \mathrm{~cm}^{2}$
From Fig. $(e), \quad$ base $=2 \mathrm{~cm}$, height $=4.4 \mathrm{~cm}$ Area of Fig. $(e)=2 \times 4.4=8.8 \mathrm{~cm}^{2}$.
Q2. Find the area of each of the following triangles:

(a)

(b)

(c)

(d)

Sol. We know, area of triangle $=\frac{1}{2} \times$ base $\times$ height From Fig. (a) , base $=4 \mathrm{~cm}$, height $=3 \mathrm{~cm}$

$$
\text { Area of triangle }=\frac{1}{2} \times 4 \times 3=2 \times 3=6 \mathrm{~cm}^{2}
$$

From Fig. (b), base $=5 \mathrm{~cm}$, height $=3.2 \mathrm{~cm}$

$$
\text { Area of triangle }=\frac{1}{2} \times 5 \times 3.2=5 \times 1.6=8 \mathrm{~cm}^{2}
$$

From Fig. $(c), \quad$ base $=3 \mathrm{~cm}$, height $=4 \mathrm{~cm}$

$$
\text { Area of triangle }=\frac{1}{2} \times 3 \times 4=3 \times 2=6 \mathrm{~cm}^{2}
$$

From Fig. $(d), \quad$ base $=3 \mathrm{~cm}$, height $=2 \mathrm{~cm}$

$$
\text { Area of triangle }=\frac{1}{2} \times 3 \times 2=3 \times 1=3 \mathrm{~cm}^{2}
$$

Q3. Find the missing values:

| S.No. | Base | Height | Area of the parallelogram |
| :---: | :---: | :---: | :---: |
| $a$. | 20 cm |  | $246 \mathrm{~cm}^{2}$ |
| $b$. |  | 15 cm | $154.5 \mathrm{~cm}^{2}$ |
| $c$. |  | 84 cm | $48.72 \mathrm{~cm}^{2}$ |
| $d$. | 15.6 cm |  | $16.38 \mathrm{~cm}^{2}$ |

Sol. We know that
Area of parallelogram $=$ base $\times$ height
(a) base $=20 \mathrm{~cm}$, height $=$ ?, Area $=246 \mathrm{~cm}^{2}$

Area $=$ base $\times$ height
$\Rightarrow$
$246=20 \times$ height
or height $=\frac{246}{20}=12.3 \mathrm{~cm}$
(b) base $=$ ?, height $=15 \mathrm{~cm}$, Area $=154.5 \mathrm{~cm}^{2}$

$$
\text { Area }=\text { base } \times \text { height }
$$

$\Rightarrow \quad 154.5=$ base $\times 15$
or base $=\frac{154.5}{15}=10.3 \mathrm{~cm}$
(c) base $=$ ?, height $=8.4 \mathrm{~cm}$, Area $=48.72 \mathrm{~cm}^{2}$

$$
\text { Area }=\text { base } \times \text { height }
$$

$\Rightarrow \quad 48.72=$ base $\times 8.4$
or base $=\frac{48.72}{8.4}=5.8 \mathrm{~cm}$
(d) base $=15.6 \mathrm{~cm}$, height $=$ ?, Area $=16.38 \mathrm{~cm}^{2}$

$$
\text { Area }=\text { base } \times \text { height }
$$

$\Rightarrow \quad 16.38=15.6 \times$ height
or height $=\frac{16.38}{15.6}=1.05 \mathrm{~cm}$.
Thus, the missing values are:

| S.No. | Base | Height | Area of the parallelogram |
| :---: | :--- | :--- | :---: |
| $a$. | 20 cm | 12.3 cm | $246 \mathrm{~cm}^{2}$ |
| $b$. | 10.3 cm | 15 cm | $154.5 \mathrm{~cm}^{2}$ |
| $c$. | 5.8 cm | 8.4 cm | $48.72 \mathrm{~cm}^{2}$ |
| $d$. | 15.6 cm | 1.05 cm | $16.38 \mathrm{~cm}^{2}$ |

Q4. Find the missing values:

| Base | Height | Area of triangle |
| :---: | :---: | :---: |
| 15 cm | - | $87 \mathrm{~cm}^{2}$ |
| - | 31.4 mm | $1256 \mathrm{~mm}^{2}$ |
| 22 cm | - | $170.5 \mathrm{~cm}^{2}$ |

Sol. We know that,
Area of triangle $=\frac{1}{2} \times$ base $\times$ height

From first row, base $=15 \mathrm{~cm}$, height $=$ ?, Area $=87 \mathrm{~cm}^{2}$

$$
\begin{array}{rlrl} 
& & \text { Area } & =\frac{1}{2} \times \text { base } \times \text { height } \\
\Rightarrow & 87 & =\frac{1}{2} \times 15 \times \text { height } \\
\text { or } & \text { height } & =\frac{87 \times 2}{15}=11.6 \mathrm{~cm}
\end{array}
$$

From second row, base $=$ ?, height $=31.4 \mathrm{~mm}$,
Area $=1256 \mathrm{~mm}^{2}$

$$
\begin{array}{ll} 
& \text { Area }=\frac{1}{2} \times \text { base } \times \text { height } \\
\Rightarrow & 1256=\frac{1}{2} \times \text { base } \times 31.4 \\
\text { or } & \text { base }=\frac{1256 \times 2}{31.4}=80 \mathrm{~mm}
\end{array}
$$

From third row, base $=22 \mathrm{~cm}$, height $=$ ?, Area $=170.5 \mathrm{~cm}^{2}$

$$
\begin{array}{rlrl}
\text { Area } & =\frac{1}{2} \times \text { base } \times \text { height } \\
\Rightarrow & 170.5 & =\frac{1}{2} \times 22 \times \text { height } \\
\text { or } & \text { height } & =\frac{170.5 \times 2}{22}=15.5 \mathrm{~cm}
\end{array}
$$

Thus, the missing values are:

| Base | Height | Area of triangle |
| :---: | :---: | :---: |
| 15 cm | $\mathbf{1 1 . 6} \mathrm{~cm}$ | $87 \mathrm{~cm}^{2}$ |
| $\mathbf{8 0 ~ m m}$ | 31.4 mm | $1256 \mathrm{~mm}^{2}$ |
| 22 cm | $\mathbf{1 5 . 5} \mathrm{~cm}$ | $170.5 \mathrm{~cm}^{2}$ |

Q5. PQRS is a parallelogram. QM is the height from $Q$ to SR and QN is the height from Q to PS. If $\mathrm{SR}=\mathbf{1 2} \mathrm{cm}$ and QM $=7.6 \mathrm{~cm}$. Find:

(a) the area of the parallelogram PRS
(b) QN , if $\mathrm{PS}=8 \mathrm{~cm}$.

Sol. Given, base $(\mathrm{SR})=12 \mathrm{~cm}$, height $(\mathrm{QM})=7.6 \mathrm{~cm}$
(a) Therefore, area of parallelogram $=$ base $\times$ height

$$
=12 \times 7.6=91.2 \mathrm{~cm}^{2}
$$

Thus, the area of the parallelogram is $91.2 \mathrm{~cm}^{2}$.
(b) Now, base $(\mathrm{PS})=8 \mathrm{~cm}$, height $(\mathrm{QN})=$ ?, Area $=91.2 \mathrm{~cm}^{2}$ Area of parallelogram $=$ base $\times$ height

$$
\begin{array}{ll}
\Rightarrow & 91.2=8 \times \mathrm{QN} \\
\Rightarrow & \mathrm{QN}=\frac{91.2}{8}=11.4 \mathrm{~cm}
\end{array}
$$

Thus, the height ( QN ) is 11.4 cm .
Q6. $D L$ and $B M$ are the heights on sides $A B$ and $A D$ respectively of parallelogram $A B C D$. If the area of the parallelogram is $1470 \mathrm{~cm}^{2}, \mathrm{AB}=35 \mathrm{~cm}$ and $\mathrm{AD}=49 \mathrm{~cm}$, find the length of BM and DL.


Sol. Given, area of the parallelogram $=1470 \mathrm{~cm}^{2}$,
base $(\mathrm{AB})=35 \mathrm{~cm}$ and base $(\mathrm{AD})=49 \mathrm{~cm}$
We know, area of the parallelogram $=$ base $\times$ height

Now,

$$
\begin{aligned}
1470 & =\mathrm{AB} \times \mathrm{DL} \\
1470 & =35 \times \mathrm{DL} \\
\mathrm{DL} & =\frac{1470}{35}=42 \mathrm{~cm}
\end{aligned}
$$

$\Rightarrow$
Again, area of the parallelogram $=$ base $\times$ height

$$
\begin{array}{ll} 
& 1470
\end{array}=\mathrm{AD} \times \mathrm{BM}, ~(1470=49 \times \mathrm{BM} .
$$

Thus, the lengths of DL and BM are 42 cm and 30 cm respectively.
Q7. $\triangle \mathrm{ABC}$ is right angled at $\mathrm{A} . \mathrm{AD}$ is perpendicular to BC . If $A B=5 \mathrm{~cm}, B C=13 \mathrm{~cm}$ and $A C=12 \mathrm{~cm}$, find the area of $\triangle A B C$. Also, find the length of $A D$.


Sol. In right-angled $\triangle B A C$,

$$
\mathrm{AB}=5 \mathrm{~cm}, \mathrm{AC}=12 \mathrm{~cm}
$$

As we know, area of triangle $=\frac{1}{2} \times$ base $\times$ height
Area of right-angled $\triangle B A C=\frac{1}{2} \times A B \times A C$

$$
=\frac{1}{2} \times 5 \times 12
$$

$$
=5 \times 6=30 \mathrm{~cm}^{2}
$$

Now, in $\triangle A B C$,

$$
\mathrm{BC}=13 \mathrm{~cm}
$$

Thus, the area of the triangle ABC is $30 \mathrm{~cm}^{2}$ and the length of AD is $\frac{60}{13} \mathrm{~cm}$.

Q8. $\triangle \mathrm{ABC}$ is isosceles with $\mathrm{AB}=\mathrm{AC}=7.5 \mathrm{~cm}$ and $\mathrm{BC}=9 \mathrm{~cm}$. The height $A D$ from $A$ to $B C$, is $\mathbf{6 ~ c m}$. Find the area of $\triangle \mathrm{ABC}$. What will be the height from C to AB i.e., CE?


$$
\begin{aligned}
& \text { Area of } \triangle \mathrm{ABC}=\frac{1}{2} \times \mathrm{BC} \times \mathrm{AD} \\
& \Rightarrow \quad 30=\frac{1}{2} \times 13 \times \mathrm{AD} \\
& \Rightarrow \quad \mathrm{AD}=\frac{30 \times 2}{13}=\frac{60}{13} \mathrm{~cm}
\end{aligned}
$$

Sol. In $\triangle \mathrm{ABC}$,

$$
\mathrm{AD}=6 \mathrm{~cm}, \mathrm{BC}=9 \mathrm{~cm}
$$

As we know, area of triangle $=\frac{1}{2} \times$ base $\times$ height

$$
\text { Area of } \begin{aligned}
\triangle A B C & =\frac{1}{2} \times B C \times A D \\
& =\frac{1}{2} \times 9 \times 6 \\
& =3 \times 9=27 \mathrm{~cm}^{2}
\end{aligned}
$$

Thus, area of the triangle is $27 \mathrm{~cm}^{2}$.
Given, in $\triangle A B C$, Base $(A B)=7.5 \mathrm{~cm}$ and Area $=27 \mathrm{~cm}^{2}$.

$$
\begin{array}{rlrl} 
& \text { Area of } \triangle \mathrm{ABC} & =\frac{1}{2} \times \mathrm{AB} \times \mathrm{CE} \\
\Rightarrow & 27 & =\frac{1}{2} \times 7.5 \times \mathrm{CE} \\
\Rightarrow & \mathrm{CE} & =\frac{27 \times 2}{7.5} \\
\text { or } & & \mathrm{CE} & =7.2 \mathrm{~cm}
\end{array}
$$

Thus, height from C to AB i.e., CE is 7.2 cm .
Exercise 11.3 (Page No. 223-224)
Q1. Find the circumference of the circles with the following radius: $\quad\left(\right.$ Take $\left.\pi=\frac{22}{7}\right)$
(a) 14 cm
(b) 28 mm
(c) 21 cm

Sol. (a) 14 cm
We know, the circumference of circle $=2 \pi r$

$$
\begin{aligned}
& =2 \times \frac{22}{7} \times 14 \\
& =2 \times 22 \times 2=88 \mathrm{~cm} .
\end{aligned}
$$

(b) 28 mm

We know, the circumference of circle $=2 \pi r$

$$
\begin{aligned}
& =2 \times \frac{22}{7} \times 28 \\
& =2 \times 22 \times 4=176 \mathrm{~mm}
\end{aligned}
$$

(c) 21 cm

We know, the circumference of circle $=2 \pi r$

$$
\begin{aligned}
& =2 \times \frac{22}{7} \times 21 \\
& =2 \times 22 \times 3=132 \mathrm{~cm} .
\end{aligned}
$$

Q2. Find the area of the following circles, given that:
(a) radius $=14 \mathrm{~mm}$
(b) diameter $=49 \mathrm{~m}$
(c) radius $=5 \mathrm{~cm}$
Sol. (a) radius $(r)=14 \mathrm{~mm}$
Now, area of circle $=\pi r^{2}$

$$
\begin{aligned}
& =\frac{22}{7} \times 14 \times 14 \\
& =22 \times 2 \times 14=616 \mathrm{~mm}^{2}
\end{aligned}
$$

(Take $\left.\pi=\frac{22}{7}\right)$
(b) diameter $=49 \mathrm{~m}$
$\because \quad$ radius $(r)=\frac{\text { Diameter }}{2}=\frac{49}{2}=24.5 \mathrm{~m}$
Now, area of circle $=\pi r^{2}$

$$
\begin{aligned}
& =\frac{22}{7} \times 24.5 \times 24.5 \\
& =22 \times 3.5 \times 24.5=1886.5 \mathrm{~m}^{2}
\end{aligned}
$$

(c) radius $(r)=5 \mathrm{~cm}$

Now, area of circle $=\pi r^{2}$

$$
\begin{aligned}
& =\frac{22}{7} \times 5 \times 5 \\
& =\frac{550}{7} \mathrm{~cm}^{2} .
\end{aligned}
$$

Q3. If the circumference of a circular sheet is 154 m , find its radius. Also find the area of the sheet. (Take $\pi=\frac{22}{7}$ )
Sol. Given that, the circumference of a circular sheet $=154 \mathrm{~m}$.
Now,
$2 \pi r=154$

$$
\begin{array}{ll}
\Rightarrow & r=\frac{154}{2 \pi} \\
\text { or } & r=\frac{154 \times 7}{2 \times 22}=\frac{1078}{44}=24.5 \mathrm{~m}
\end{array}
$$

Radius of circular sheet $=24.5 \mathrm{~m}$.
We know, area of circular sheet $=\pi r^{2}$

$$
\begin{aligned}
& =\frac{22}{7} \times(24.5)^{2} \\
& =\frac{22 \times 24.5 \times 24.5}{7} \\
& =1886.5 \mathrm{~m}^{2}
\end{aligned}
$$

Thus, the radius and area of the circular sheet are 24.5 m and $1886.5 \mathrm{~m}^{2}$ respectively.
Q4. A gardener wants to fence a circular garden of diameter 21 m . Find the length of the rope he needs to purchase, if he makes 2 rounds of fence. Also, find the costs of the
rope, if it cost ₹ 4 per metre (Take $\pi=\frac{22}{7}$ )
Sol. Diameter of the circular garden $=21 \mathrm{~m}$
Radius of the circular garden $=\frac{21}{2} \mathrm{~m}$.
Now, circumference of circular garden $=2 \pi r$

$$
\begin{aligned}
& =2 \times \frac{22}{7} \times \frac{21}{2} \\
& =22 \times 3=66 \mathrm{~m}
\end{aligned}
$$

But, he makes 2 rounds of fence so the total length of the rope of fencing

$$
=2 \times 66=132 \mathrm{~m} .
$$

Therefore, the length of the rope, he needs, is 132 m .
Then, the cost of 1 metre rope $=₹ 4$
The cost of 132 metre rope $=132 \times 4=₹ 528$
Thus, the cost of the rope is ₹ 528 .
Q5. From a circular sheet of radius 4 cm , a circle of radius 3 cm is removed. Find the area of the remaining sheet. (Take $\pi=3.14$.)

Sol. Radius of circular sheet $(\mathrm{R})=4 \mathrm{~cm}$ and radius of removed circle $(r)=3 \mathrm{~cm}$.

Area of remaining sheet $=$ area of circular sheet

- area of removed circle
$=\pi \mathrm{R}^{2}-\pi r^{2}$
$=\pi\left(\mathrm{R}^{2}-r^{2}\right)$
$=\pi\left(4^{2}-3^{2}\right)^{\text {. }}$
$=\pi \times(16-9)$
$=3.14 \times 7$
$=21.98 \mathrm{~cm}^{2}$
(Take $\pi=3.14$ )
Therefore, the area of remaining sheet is $21.98 \mathrm{~cm}^{2}$.
Q6. Saima wants to put a lace on the edge of a circular table cover of diameter 1.5 m . Find the length of the lace required and also find its cost if one metre of the lace costs ₹ 15 . (Take $\pi=3.14$.)
Sol. Given, the diameter of the circular table cover $=1.5 \mathrm{~m}$
Then, the radius of the circular table cover $=\frac{1.5}{2} \mathrm{~m}$
Now, circumference of the circular table cover

$$
\begin{aligned}
& =2 \pi r \\
& =2 \times 3.14 \times \frac{1.5}{2} \\
& =3.14 \times 1.5=4.71 \mathrm{~m}
\end{aligned}
$$

(Take $\pi=3.14$ )
Therefore, the length of the required lace is 4.71 m .
The cost of 1 m lace $=₹ 15$
The cost of 4.71 m lace $=₹ 15 \times 4.71$

$$
=₹ 70.65
$$

Thus, the cost of the total lace is ₹ 70.65 .
Q7. Find the perimeter of the adjoining figure, which is a semicircle including its diameter.

Sol. From the figure, diameter $=10 \mathrm{~cm}$

$$
\text { Radius }=\frac{10}{2} \mathrm{~cm}=5 \mathrm{~cm}
$$

We know, the circumference of circle $=2 \pi r$
and the circumference of semicircle $=\frac{2 \pi r}{2}=\pi r$
Now, total perimeter of given figure $=$ circumference area of semicircle + its diameter

$$
\begin{aligned}
& =\pi r+d \\
& =\frac{22}{7} \times 5+10=\frac{110}{7}+10 \\
& =\frac{110+70}{7}=\frac{180}{7} \\
& =25.71 \mathrm{~cm}
\end{aligned}
$$

Thus, the perimeter of the given figure is 25.71 cm .
Q8. Find the cost of polishing a circular table-top of diameter 1.6 m , if the rate of polishing is $₹ 15 / \mathrm{m}^{2}$. (Take $\pi=3.14$ )

Sol. Given, the diameter of the circular table-top $=1.6 \mathrm{~m}$
Then, radius of the circular table-top $=\frac{1.6}{2} \mathrm{~m}=0.8 \mathrm{~m}$
Now, we have to find the area of a circular table-top to polishing.
Area of a circular table-top $=\pi r^{2}$

$$
\begin{aligned}
& =3.14 \times(0.8)^{2}[\because \quad \text { Using } \pi=3.14] \\
& =3.14 \times 0.8 \times 0.8 \\
& =2.0096 \mathrm{~m}^{2}
\end{aligned}
$$

Now, the cost of $1 \mathrm{~m}^{2}$ polishing $=₹ 15$
The cost of $2.0096 \mathrm{~m}^{2}$ polishing $=15 \times 2.0096$

$$
\begin{aligned}
& =30.144 \\
& =₹ 30.14 \text { (approx.) }
\end{aligned}
$$

Thus, the cost of polishing a circular table-top is ₹ 30.14 (approx.).
Q9. Shazli took a wire of length 44 cm and bent it into the shape of a circle. Find the radius of that circle. Also find its area. If the same wire is bent into the shape of a square, what will be the length of each of its sides?

Which figure encloses more area, the circle or the square?

Sol. Given, the total length of the wire is 44 cm ,
Converting into circle:
So, the circumference of a circle $=2 \pi r$

$$
\left.\begin{array}{lrl}
\Rightarrow & 44 & =2 \times \frac{22}{7} \times r \\
\Rightarrow & 44 & =\frac{44}{7} \times r \\
\Rightarrow & \frac{44 \times 7}{44} & =r \\
& & r
\end{array}\right)
$$

$$
\begin{aligned}
& =\frac{22}{7} \times(7)^{2}=\frac{22}{7} \times 7 \times 7 \\
& =22 \times 7=154 \mathrm{~cm}^{2}
\end{aligned}
$$

Thus, the radius and area of circle are 7 cm and $154 \mathrm{~cm}^{2}$ respectively.
Converting into square:
So, the perimeter of square $=4 a \quad$ (where $a$ is side of square)

$$
\begin{aligned}
& 44 & =4 a \\
\Rightarrow & a & =\frac{44}{4}=11 \\
\Rightarrow & \text { side }(a) & =11 \mathrm{~cm}
\end{aligned}
$$

Now, area of square $=$ side $\times$ side

$$
\begin{aligned}
& =11 \times 11 \\
& =121 \mathrm{~cm}^{2}
\end{aligned}
$$

Thus, the side and area of the square are 11 cm and $121 \mathrm{~cm}^{2}$ respectively.
On comparing the area of circle and square: $154 \mathrm{~cm}^{2}>121 \mathrm{~cm}^{2}$ area of circle > area of square
Therefore, the circle enclosed more area.
Q10. From a circular card sheet of radius 14 cm , two circles of radius 3.5 cm and a rectangle of length 3 cm and
breadth 1 cm are removed (as shown in the adjoining figure.) Find the area
of the remaining sheet. $\left(\right.$ Take $\left.\pi=\frac{22}{7}\right)$


Sol. Given, the radius of the circular card sheet $(R)=14 \mathrm{~cm}$,

$$
\text { Radius of small circles }(r)=3.5 \mathrm{~cm} \text {, }
$$

Length of rectangle $(l)=3 \mathrm{~cm}$ and breadth of rectangle (b)

$$
=1 \mathrm{~cm} .
$$

Now, area of remaining sheet = Area of circular card sheet

> - (area of two circles + area of rectangle)

$$
\begin{aligned}
& =\pi \mathrm{R}^{2}-\left[2\left(\pi r^{2}\right)+(l \times b)\right] \\
& =\frac{22}{7} \times(14)^{2}-\left[\left(2 \times \frac{22}{7} \times 3.5 \times 3.5\right)+(3 \times 1)\right] \\
& =22 \times 14 \times 2-[44 \times 0.5 \times 3.5+3] \\
& =(616-80)=536 \mathrm{~cm}^{2}
\end{aligned}
$$

Therefore, the area of remaining sheet is $536 \mathrm{~cm}^{2}$.
Q11. A circle of radius 2 cm is cut out from a square piece of an aluminium sheet of side 6 cm . What is the area of the left over aluminium sheet? (Take $\pi=3.14$ )
Sol. Given, radius of circle $=2 \mathrm{~cm}$ and side of aluminium square sheet $=6 \mathrm{~cm}$
Then,
Area of left over aluminium sheet
$=$ Total area of square aluminium sheet - area of circle
$=(\text { side })^{2}-\left(\pi r^{2}\right)$
$=(6)^{2}-\frac{22}{7} \times 2 \times 2$
$=36-12.56$
$=23.44 \mathrm{~cm}^{2}$
Therefore, the area of the left over aluminium sheet is $23.44 \mathrm{~cm}^{2}$.
Q12. The circumference of a circle is 31.4 cm . Find the radius and the area of the circle (Take $\pi=3.14$ ).

Sol. Given, circumference of the circle $=31.4 \mathrm{~cm}$

$$
\begin{aligned}
& \text { Now, } \quad 2 \pi r=31.4 \\
& \Rightarrow \quad 2 \times 3.14 \times r=31.4 \\
& \Rightarrow \text { manamand } \\
& r=\frac{31.4}{3.14 \times 2} \\
& \text { or } \\
& r=\frac{10}{2}=5 \mathrm{~cm}
\end{aligned}
$$

Then, area of circle $=\pi r^{2}$

$$
\begin{aligned}
& =(3.14 \times 5 \times 5) \mathrm{cm}^{2} \\
& =78.5 \mathrm{~cm}^{2}
\end{aligned}
$$

Thus, the radius and area of circle are 5 cm and $78.5 \mathrm{~cm}^{2}$ respectively.
Q13. A circular flower bed is surrounded by a path 4 m wide. The diameter of the flower bed is 66 m . What is the area of this path? $(\pi=3.14)$.
Sol. Given, the diameter of circular flower bed $=66 \mathrm{~m}$
Radius of the circular flower bed $(r)=\frac{66}{2} \mathrm{~m}=33 \mathrm{~m}$
Now, this bed is surrounded by a path of 4 m wide.
So, the diameter of circular flower bed with path

$$
\begin{aligned}
& =(66+4+4) \mathrm{m} \\
& =74 \mathrm{~m}
\end{aligned}
$$

Radius of circular flower bed with path $(R)=\frac{74}{2} \mathrm{~m}=37 \mathrm{~m}$.
Therefore, area of path = area of the circular flower bed with path - area of the circular flower bed

$$
\begin{aligned}
& =\pi \mathrm{R}^{2}-\pi r^{2} \\
& =\pi\left(\mathrm{R}^{2}-r^{2}\right) \\
& =\pi\left[(37)^{2}-(33)^{2}\right] \\
& =3.14(1369-1089)
\end{aligned}
$$

$$
\begin{aligned}
& =3.14 \times 280 \\
& =879.20 \mathrm{~m}^{2}
\end{aligned}
$$

Thus, the area of this path is $879.20 \mathrm{~m}^{2}$.
Q14. A circular flower garden has an area of $314 \mathrm{~m}^{2}$. A sprinkler at the centre of the garden can cover an area that has a radius of 12 m . Will the sprinkler water the entire garden? (Take $\pi=3.14$ )
Sol. First we find the area of garden which is circular area by the sprinkler has radius $(r) 12 \mathrm{~m}$.
Now, circular area by the sprinkler $=\pi r^{2}$

$$
\begin{aligned}
& =3.14 \times(12)^{2} \\
& =3.14 \times 12 \times 12 \\
& =452.16 \mathrm{~m}^{2}
\end{aligned}
$$

And the area of the circular flower garden is given $314 \mathrm{~m}^{2}$ which is smaller than the sprinkled circular area.
Thus, yes, the sprinkler will water the entire garden.
Or

Given, the area of circular garden $=314 \mathrm{~m}^{2}$

| Now, | $\pi r^{2}$ |
| :--- | ---: |
| $=314$ |  |
| $\Rightarrow$ | $3.14 \times r^{2}=314$ |
| $\Rightarrow$ | $r^{2}=\frac{314}{3.14}$ |
| $\Rightarrow$ | $r^{2}=100$ |
| or | $r$ |

Therefore, the radius of circular garden $=10 \mathrm{~m}$.
And radius of the sprinkler at the centre of garden can cover an area $=12 \mathrm{~m}$ which is greater.
Thus, the sprinkler will water the entire garden.
Q15. Find the circumference of the inner and the outer circles, shown in the adjoining figure? (Take $\pi=3.14$ )
Sol. Given, radius of outer circle $=19 \mathrm{~m}$ Circumference of outer circle $=2 \pi r$

$$
\begin{aligned}
& =2 \times 3.14 \times 19 \\
& =119.32 \mathrm{~m}
\end{aligned}
$$



Now, radius of inner circle $=19 \mathrm{~m}-10 \mathrm{~m}$

$$
=9 \mathrm{~m}
$$

Circumference of inner circle $=2 \pi r$

$$
\begin{aligned}
& =2 \times 3.14 \times 9 \\
& =56.52 \mathrm{~m}
\end{aligned}
$$

Therefore, the circumferences of the inner and outer circles are 56.52 m and 119.32 m respectively.
Q16. How many times a wheel of radius 28 cm must rotate to go 352 m ? $\left(\right.$ Take $\left.\pi=\frac{22}{7}\right)$
Sol. Let wheel must be rotate $n$ times of its circumference.
Given that radius of wheel $=28 \mathrm{~cm}$, distance $=352 \mathrm{~m}$

$$
=35200 \mathrm{~cm}
$$

We know, distance covered by wheel

$$
\begin{array}{rlrl} 
& & =n \times \text { circumference of wheel } \\
\text { Now, } & 35200 & =n \times 2 \pi r \\
\Rightarrow & 35200 & =n \times 2 \times \frac{22}{7} \times 28 \\
\Rightarrow & n & =\frac{35200 \times 7}{44 \times 28}=\frac{246400}{1,232} \\
& & n & =200 \text { revolutions }
\end{array}
$$

Thus, wheel must rotate 200 times to go 352 m .
Q17. The minute hand of a circular clock is 15 cm long. How far does the tip of the minute hand move in 1 hour. (Take $\pi=3.14$ )
Sol. In 1 hour, the minute hand completes one round means makes a circle. Radius of circle $(r)=15 \mathrm{~cm}$.
So, circumference of circular clock $=2 \pi r$

$$
\begin{aligned}
& =2 \times 3.14 \times 15 \\
& =94.2 \mathrm{~cm}
\end{aligned}
$$

Therefore, the tip of the minute hand moves 94.2 cm in 1 hour.

## Exercise 11.4 (Page No. 226-227)

Q1. A garden is 90 m long and 75 m broad. A path 5 m wide is to be built outside and around it. Find the area of the path. Also find the area of the garden in hectars.
Sol.


Given, length of rectangular garden $=90 \mathrm{~m}$
and breadth of rectangular garden $=75 \mathrm{~m}$.
Outer length of rectangular garden with path

$$
=90+5+5=100 \mathrm{~m} .
$$

Outer breadth of rectangular garden with path

$$
=75+5+5=85 \mathrm{~m} .
$$

Outer area of rectangular garden with path $=$ length $\times$ breadth

$$
=100 \times 85=8,500 \mathrm{~m}^{2}
$$

Inner area of garden without path $=$ length $\times$ breadth

$$
\begin{aligned}
& =90 \times 75 \\
& =6,750 \mathrm{~m}^{2}
\end{aligned}
$$

Thus, area of the path = area of garden with path

> - area of garden without path

$$
\begin{aligned}
& =8,500-6,750 \\
& =1,750 \mathrm{~m}^{2}
\end{aligned}
$$

Therefore, the area of path is $1,750 \mathrm{~m}^{2}$.
Area of garden in hectare:
Area of garden $=6,750 \mathrm{~m}^{2}$
We know,

$$
\begin{aligned}
1 \mathrm{~m}^{2} & =\frac{1}{10,000} \mathrm{ha} \\
6,750 \mathrm{~m}^{2} & =\frac{6750}{10,000} \text { ha } \\
& =0.675 \mathrm{ha} .
\end{aligned}
$$

Q2. A 3 m wide path runs outside and around a rectangular park of length 125 m and breadth 65 m . Find the area of the path.

Sol. Given, length of rectangular park $=125 \mathrm{~m}$,
breadth of rectangular park $=65 \mathrm{~m}$.
and width of the path $=3 \mathrm{~m}$
(76) So, total length of rectangular park with path

$$
=125+3+3=131 \mathrm{~m}
$$

Total breadth of rectangular park with path

$$
=65+3+3=71 \mathrm{~m}
$$



Therefore, area of path = area of park with path $(A B C D)$

$$
\begin{aligned}
& \text { - area of park without path (EFGH) } \\
& =(\mathrm{AB} \times \mathrm{AD})-(\mathrm{EF} \times \mathrm{EH}) \\
& =(131 \times 71)-(125 \times 65) \\
& =9,301-8,125 \\
& =1,176 \mathrm{~m}^{2}
\end{aligned}
$$

Thus, the area of path around the park is $1,176 \mathrm{~m}^{2}$.
Q3. A picture is painted on a cardboard 8 cm long and 5 cm wide such that there is a margin of 1.5 cm along each of its sides. Find the total area of the margin.
Sol. Length of painted cardboard $=8 \mathrm{~cm}$ and breadth of painted cardboard $=5 \mathrm{~cm}$
There is a margin of 1.5 cm long from each of its side Now, reduced length $=8-(1.5+1.5)$

$$
=8-3=5 \mathrm{~cm}
$$



Reduced breadth $=5-(1.5+1.5)$

$$
=5-3=2 \mathrm{~cm}
$$

Area of margin $=$ area of cardboard $(A B C D)$

- area of cardboard without margin (EFGH)

$$
=(\mathrm{AB} \times \mathrm{AD})-(\mathrm{EF} \times \mathrm{EH})
$$

$$
=(8 \times 5)-(5 \times 2)
$$

$$
=40-10
$$

$$
=30 \mathrm{~cm}^{2}
$$

Thus, the total area of margin is $30 \mathrm{~cm}^{2}$.
Q4. A verandah of width 2.25 m is constructed all along outside a room which is 5.5 m long and 4 m wide. Find:
(i) the area of the verandah.
(ii) the cost of cementing the floor of the verandah at the rate of $₹ 200$ per $\mathrm{m}^{2}$.
Sol. (i) Given that,
the length of room $=5.5 \mathrm{~m}$ and the width of room $=4 \mathrm{~m}$, the length of room with verandah $=5.5+2.25+2.25$

$$
=10 \mathrm{~m}
$$

the width of room with verandah $=4+2.25+2.25=8.5 \mathrm{~m}$.


Area of verandah $=$ Area of room with verandah
-Area of room without verandah

$$
=\text { Area of } \mathrm{ABCD}-\text { Area of } \mathrm{EFGH}
$$

$$
=(\mathrm{AB} \times \mathrm{AD})-(\mathrm{EF} \times \mathrm{EH})
$$

$$
=(10 \times 8.5)-(5.5 \times 4)
$$

$$
=85-22
$$

$$
=63 \mathrm{~m}^{2}
$$

Thus, the area of verandah is $63 \mathrm{~m}^{2}$.
(ii) The cost of cementing $1 \mathrm{~m}^{2}$ the floor of verandah

$$
=₹ 200
$$

The cost of cementing $63 \mathrm{~m}^{2}$ the floor of verandah

$$
\begin{aligned}
& =63 \times 200 \\
& =₹ 12,600 .
\end{aligned}
$$

Q5. A path 1 m wide is built along the border and inside a square garden of side 30 m . Find:
(i) the area of the path.
(ii) the cost of planting grass in the remaining portion of the garden at the rate of ₹ $\mathbf{4 0}$ per $\mathrm{m}^{2}$.
Sol. (i) Given, side of the square garden $=30 \mathrm{~m}$
and width of the path along the border $=1 \mathrm{~m}$.
So, side of the square garden without path $=30-1-1$

$$
=28 \mathrm{~m}
$$



Now, area of the path = area of garden with path (ABCD)

- area of garden without path (EFGH)

$$
\begin{aligned}
& =(\mathrm{AB} \times \mathrm{AD})-(\mathrm{EF} \times \mathrm{EH}) \\
& =(30 \times 30)-28 \times 28 \\
& =900-784 \\
& =116 \mathrm{~m}^{2}
\end{aligned}
$$

Thus, the area of the path is $116 \mathrm{~m}^{2}$.
(ii) Now, find the cost of planting grass in the remaining portion.
Area of remaining portion $=(28)^{2}=784 \mathrm{~m}^{2}$
The cost of planting grass in $1 \mathrm{~m}^{2}$ of the garden $=₹ 40$

The cost of planting grass in $784 \mathrm{~m}^{2}$ of the garden

$$
\begin{aligned}
& =₹(784 \times 40) \\
& =₹ 31,360
\end{aligned}
$$

Thus, the cost of planting grass is ₹ 31,360 .
Q6. Two cross roads, each of width 10 m , cut at right angles through the centre of a rectangular park of length 700 $m$ and breadth 300 m and parallel to its sides. Find the area of the roads. Also find the area of the park excluding cross roads. Give the answer in hectares.
Sol. Area of the cross roads is the area of shaded portion, i.e., the area of the rectangle PQRS and the area of the rectangle EFGH. But while doing this the area of the square KLMN is taken twice, which is to be subtracted.


Now, $\quad \mathrm{PQ}=10 \mathrm{~m}$ and $\mathrm{PS}=300 \mathrm{~m}$

$$
\begin{aligned}
& \mathrm{EH}=10 \mathrm{~m} \text { and } \mathrm{EF}=700 \mathrm{~m} \\
& \mathrm{KL}=10 \mathrm{~m} \text { and } \mathrm{KN}=10 \mathrm{~m}
\end{aligned}
$$

## Area of the roads

= area of rectangle PQRS + area of the rectangle EFGH - area of the square KLMN

$$
\begin{aligned}
& =\mathrm{PS} \times \mathrm{PQ}+\mathrm{EF} \times \mathrm{EH}-\mathrm{KL} \times \mathrm{KN} \\
& =(300 \times 10)+(700 \times 10)-(10 \times 10) \\
& =3000+7000-100 \\
& =10,000-100 \\
& =9,900 \mathrm{~m}^{2} \\
& \text { Area of the road in hectare: }
\end{aligned}
$$

$$
1 \mathrm{~m}^{2}=\frac{1}{10,000} \mathrm{ha}
$$

$$
\begin{aligned}
\Rightarrow \quad 9,900 \mathrm{~m}^{2} & =\frac{9,900}{10,000} \text { ha } \\
& =0.99 \mathrm{ha} .
\end{aligned}
$$

Thus, the area of the road in hectare is 0.99 ha.
Area of park excluding cross roads

$$
\begin{aligned}
& =\text { Area of park }- \text { area of road } \\
& =(\mathrm{AB} \times \mathrm{AD})-9,900 \\
& =(700 \times 300)-9,900 \\
& =(2,10,000-9,900) \mathrm{m}^{2} \\
& =2,00,100 \mathrm{~m}^{2}
\end{aligned}
$$

Area (in hectare) of park excluding cross roads:
We know,

$$
\begin{array}{lr}
\text { We know, } & 1 \mathrm{~m}^{2}=\frac{1}{10,000} \text { ha } \\
\Rightarrow & 2,00,100 \mathrm{~m}^{2}=\frac{2,00,100}{10,000} \text { ha }
\end{array}
$$

$$
=20.01 \mathrm{ha} .
$$

Q7. Through a rectangular field of length 90 m and breadth 60 m , two roads are constructed which are parallel to the sides and cut each other at right angles through the centre of the fields. If the width of each road is 3 m , find:
(i) the area covered by the roads.
(ii) the cost of constructing the roads at the rate of $₹ 110$ per $\mathrm{m}^{2}$.
Sol. (i) Area of shaded portion, of cross roads i.e., the area of the rectangle PQRS and the area of the rectangle EFGH. But while doing this, the area of the square KLMN is taken twice which is to be subtracted.


Now,

$$
\begin{aligned}
& \mathrm{PQ}=3 \mathrm{~m} \text { and } \mathrm{PS}=60 \mathrm{~m} \\
& \mathrm{EH}=3 \mathrm{~m} \text { and } \mathrm{EF}=90 \mathrm{~m} \\
& \mathrm{KL}=3 \mathrm{~m} \text { and } \mathrm{KN}=3 \mathrm{~m}
\end{aligned}
$$

Area of the roads $=$ area of rectangle $\mathrm{PQRS}+$ area of the rectangle EFGH - area of the square KLMN

$$
\begin{aligned}
& =\mathrm{PS} \times \mathrm{PQ}+\mathrm{EF} \times \mathrm{EH}-\mathrm{KL} \times \mathrm{KN} \\
& =(60 \times 3)+(90 \times 3)-(3 \times 3) \\
& =180+270-9 \\
& =441 \mathrm{~m}^{2}
\end{aligned}
$$

Thus, the area of cross roads is $441 \mathrm{~m}^{2}$.
(ii) Given, the cost of $1 \mathrm{~m}^{2}$ constructing the roads $=₹ 110$

The cost of $441 \mathrm{~m}^{2}$ constructing the roads $=441 \times 110$ Therefore, the cost of constructing roads $=₹ 48,510$.
Q8. Pragya wrapped a cord around a circular pipe of radius 4 cm (adjoining figure) and cut off the length required of the cord. Then she wrapped it around a square box of side 4 cm (also shown). Did she have any cord left? ( $\pi=3.14$ )


Sol. Given, radius of pipe $=4 \mathrm{~cm}$
Wrapping cord around circular pipe $=2 \pi r$

$$
\begin{aligned}
& =2 \times 3.14 \times 4 \\
& =25.12 \mathrm{~cm}
\end{aligned}
$$

Again, she wrapped it around a square whose side is 4 cm . So, the perimeter of square $=4 \times$ side

$$
\begin{aligned}
& =4 \times 4 \\
& =16 \mathrm{~cm}
\end{aligned}
$$

Remaining cord = wrapped on pipe - wrapped on square

$$
=(25.12-16) \mathrm{cm}=9.12 \mathrm{~cm}
$$

Thus, she has left 9.12 cm cord.

Q9. The adjoining figure represent a rectangular lawn with a circular flower bed in the middle. Find:
(i) the area of the whole land.
(ii) the area of the flower bed.
(iii) the area of the lawn excluding the area of the flower bed.

(iv) the circumference of the flower bed.

Sel. According to the adjoining figure.
Length of the rectangular lawn $=10 \mathrm{~m}$
Breadth of the rectangular lawn $=5 \mathrm{~m}$
Radius of the circular flower bed $=2 \mathrm{~m}$
(i) Area of the whole land $=$ length $\times$ breadth

$$
=10 \times 5=50 \mathrm{~m}^{2}
$$

(ii) Area of the flower bed $=\pi r^{2}$

$$
=3.14 \times 2 \times 2=12.56 \mathrm{~m}^{2}
$$

(iii) Area of lawn excluding the area of the flower bed

$$
\begin{aligned}
& =\text { area of lawn - area of flower bed } \\
& =50 \mathrm{~m}^{2}-12.56 \mathrm{~m}^{2} \\
& =37.44 \mathrm{~m}^{2}
\end{aligned}
$$

(iv) The circumference of the flower bed $=2 \pi r$

$$
\begin{aligned}
& =2 \times 3.14 \times 2 \\
& =12.56 \mathrm{~m} .
\end{aligned}
$$

Q10. In the following figures, find the area of the shaded portions:

(i)

(ii)

Sol. From Fig. (i): Given, $\mathrm{AB}=18 \mathrm{~cm}, \mathrm{BC}=10 \mathrm{~cm}, \mathrm{AF}=6 \mathrm{~cm}$, $\mathrm{AE}=10 \mathrm{~cm}$ and $\mathrm{BE}=8 \mathrm{~cm}$.

Area of shaded portion (FECD) $=$ area of rectangle ABCD

- (area of right-angled $\triangle \mathrm{FAE}+$ area of right-angled $\triangle \mathrm{EBC}$ )

$$
\begin{aligned}
& =(\mathrm{AB} \times \mathrm{BC})-\left(\frac{1}{2} \times \mathrm{AE} \times \mathrm{AF}\right)-\left(\frac{1}{2} \times \mathrm{BE} \times \mathrm{BC}\right) \\
& =(18 \times 10)-\left(\frac{1}{2} \times 10 \times 6\right)-\left(\frac{1}{2} \times 8 \times 10\right) \\
& =180-30-40 \\
& =110 \mathrm{~cm}^{2}
\end{aligned}
$$

From Fig. (ii): Given, $\mathrm{SR}=\mathrm{SU}+\mathrm{UR}=10+10=20 \mathrm{~cm}$,

$$
\mathrm{QR}=20 \mathrm{~cm},
$$

$\mathrm{PQ}=\mathrm{SR}=20 \mathrm{~cm}, \mathrm{PT}=\mathrm{PS}-\mathrm{TS}=20-10=10 \mathrm{~cm}$, $\mathrm{TS}=10 \mathrm{~cm}, \mathrm{SU}=10 \mathrm{~cm}, \mathrm{QR}=20 \mathrm{~cm}$ and $\mathrm{UR}=10 \mathrm{~cm}$
Area of shaded portion of $\triangle T Q U=$ Area of square $P Q R S$

- area of right-angled $\triangle Q P T$ - area of right-angled $\triangle T S U$

$$
\text { - area of right-angled } \triangle \mathrm{UQR}
$$

$=(\mathrm{SR} \times \mathrm{QR})-\left(\frac{1}{2} \times \mathrm{PQ} \times \mathrm{PT}\right)-\left(\frac{1}{2} \times \mathrm{ST} \times \mathrm{SU}\right)$

$$
-\left(\frac{1}{2} \times \mathrm{QR} \times \mathrm{UR}\right)
$$

$=20 \times 20-\left(\frac{1}{2} \times 20 \times 10\right)-\left(\frac{1}{2} \times 10 \times 10\right)-\left(\frac{1}{2} \times 20 \times 10\right)$
$=(400-100-50-100)=150 \mathrm{~cm}^{2}$.
Q11. Find the area of the quadrilateral $A B C D$. Here, $\mathrm{AC}=22 \mathrm{~cm}, \mathrm{BM}=3 \mathrm{~cm}, \mathrm{DN}=3 \mathrm{~cm}$ and $\mathrm{BM} \perp \mathrm{AC}$, DN $\perp \mathbf{A C}$.


Sol. Given, $\mathrm{AC}=22 \mathrm{~cm}, \mathrm{BM}=3 \mathrm{~cm}, \mathrm{DN}=3 \mathrm{~cm}$
Area of the quadrilateral $\mathrm{ABCD}=$ area of $\triangle \mathrm{ABC}+$ area of $\triangle \mathrm{ADC}$

$$
\begin{aligned}
& =\left(\frac{1}{2} \times \mathrm{AC} \times \mathrm{BM}\right)+\left(\frac{1}{2} \times \mathrm{AC} \times \mathrm{DN}\right) \\
& =\left(\frac{1}{2} \times 22 \times 3\right)+\left(\frac{1}{2} \times 22 \times 3\right) \\
& =3 \times 11+3 \times 11 \\
& =33+33 \\
& =66 \mathrm{~cm}^{2}
\end{aligned}
$$

Thus, the area of quadrilateral ABCD is $66 \mathrm{~cm}^{2}$.

