## Position Time Graph.

During motion of the particle its parameters of kinematical analysis (u, v, a, r) changes with time. This can be represented on the graph.

Position time graph is plotted by taking time t along x-axis and position of the particle on y-axis.



It is clear that slope of position-time graph represents the velocity of the particle.

## Various position – time graphs and their interpretation

$\begin{array}{c} P \uparrow \\ \\ 0 \end{array}  T \end{array}$	$\theta = 0^{\circ}$ so v = 0 i.e., line parallel to time axis represents that the particle is at rest.
$\begin{array}{c} P \\ 0 \\ \hline \end{array} \\ T \end{array}$	$\theta = 90^{\circ}$ so v = $\infty$ i.e., line perpendicular to time axis represents that particle is changing its position but time does not changes it means the particle possesses infinite velocity. Practically this is not possible.
$P \xrightarrow{P} \xrightarrow{P} \xrightarrow{T} \xrightarrow{T} \xrightarrow{T} \xrightarrow{T} \xrightarrow{T} \xrightarrow{T} \xrightarrow{T} T$	$\theta$ = constant so v = constant, a = 0 i.e., line with constant slope represents uniform velocity of the particle.
$P \land P \land$	θis increasing so v is increasing, a is positive. i.e., line bending towards position axis represents increasing velocity of particle. It means the particle possesses acceleration.
	$\theta$ is decreasing so v is decreasing, a is negative i.e., line bending towards time axis represents decreasing velocity of the particle. It means the particle possesses retardation.
$\begin{array}{c} P \\ 0 \\ \hline \\ 0 \\ \hline \\ \end{array} \begin{array}{c} \theta \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ $	$\theta$ constant but > 90° so v will be constant but negative i.e., line with negative slope represent that particle returns towards the point of reference. (Negative displacement).



Note: If the graph is plotted between distance and time then it is always an increasing curve and it never comes back towards origin because distance never decrease with time. Hence such type of distance time graph is valid up to point A only, after point A it is not valid as shown in the figure.



For two particles having displacement time graph with slopes  $\theta_1$  and  $\theta_2$  possesses velocities v1 and v<sub>2</sub> respectively then  $\frac{\nu_1}{\nu_2} = \frac{\tan \theta_1}{\tan \theta_2}$