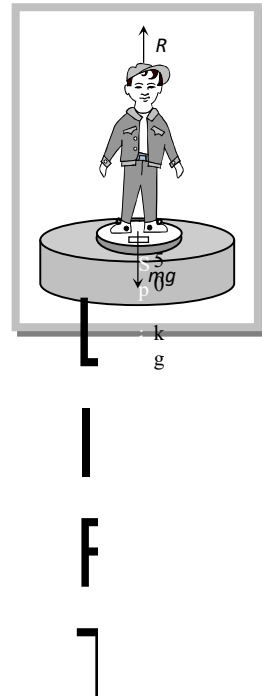
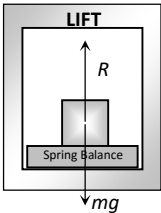
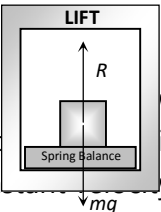


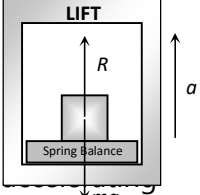
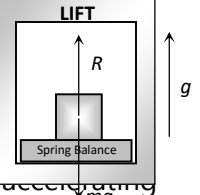
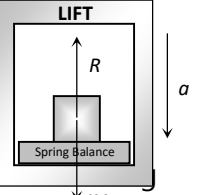
Apparent Weight of a Body in a Lift.

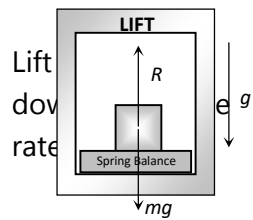
When a body of mass m is placed on a weighing machine which is placed in a lift, then actual weight of the body is mg .

This acts on a weighing machine which offers a reaction R given by the reading of weighing machine. This reaction exerted by the surface of contact on the body is the apparent weight of the body.



| Condition | Figure | Velocity | Acceleration | Reaction | Conclusion |
|--|--------|-----------------------|--------------|-------------------------------------|---------------------------------|
|  <p>Lift is at rest</p> | | $v = 0$ | $a = 0$ | $R - mg = 0$ $\therefore R = mg$ | Apparent weight = Actual weight |
|  <p>Lift is moving with constant velocity</p> | | $v = \text{constant}$ | $a = 0$ | $R - mg = 0$ $\therefore R = mg$ | Apparent weight = Actual weight |

| | | | | | |
|---|--|-----------------------|---------|--|-----------------------------------|
|  <p>Lift upward at the rate of 'a'</p> | | $v = \text{variable}$ | $a < g$ | $R - mg = ma$ $\therefore R = m(g + a)$ | Apparent weight > Actual weight |
|  <p>Lift accelerating upward at the rate of 'g'</p> | | $v = \text{variable}$ | $a = g$ | $R - mg = mg$ $R = 2mg$ | Apparent weight = 2 Actual weight |
|  <p>Lift downward at the rate of 'a'</p> | | $v = \text{variable}$ | $a < g$ | $mg - R = ma$ $\therefore R = m(g - a)$ | Apparent weight < Actual weight |



$v =$
variable

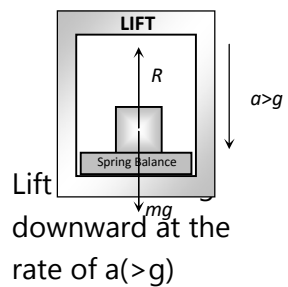
$$a = g$$

$$mg - R =$$

$$mg$$

$$R = 0$$

Apparent weight =
Zero
(weightlessness)



$v =$
variable

$$a > g$$

$$mg - R = ma$$

$$R = mg - ma$$

$$R = -ve$$

Apparent weight negative means the body will rise from the floor of the lift and stick to the ceiling of the lift.